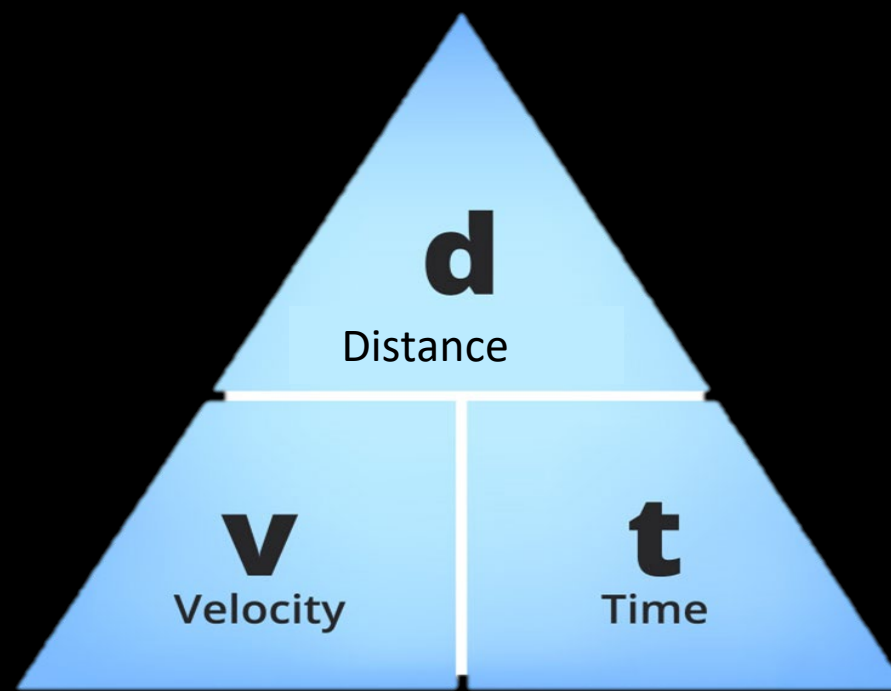


A yellow sports car, likely a Ford Mustang, is shown driving on a road. The background is heavily blurred to convey a sense of high speed. The car is positioned in the center-right of the frame, moving towards the left. The text is overlaid on the left side of the car.

CHAPTER
FOURTEEN: THE
NATURE OF SPEED

VARIABLES



$d = \underline{\text{distance}}$, a change in an object's position (m)



$t = \underline{\text{time}}$, the time it took the object to move that distance (s)

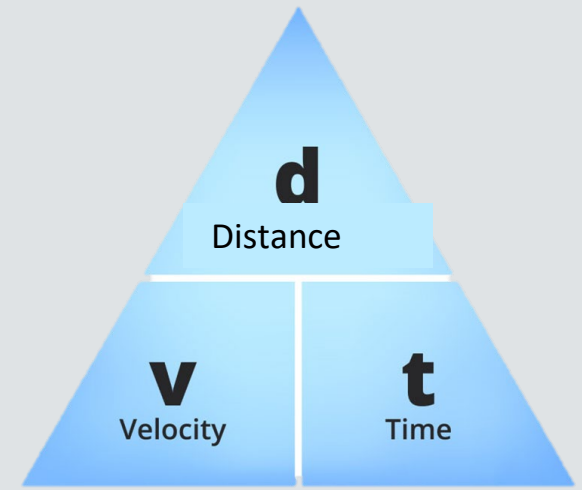


$v = \underline{\text{velocity}}$, how fast the object moved (m/s)



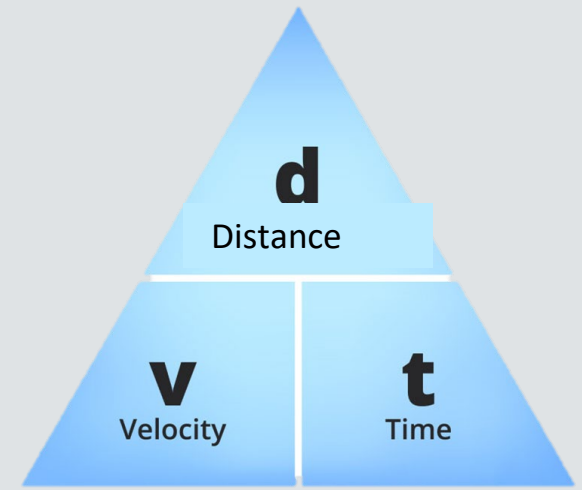
A vehicle travelling at $v = 100 \text{ km/h}$ will move $d = 100\text{km}$ in $t = 1 \text{ hour}$

VELOCITY EXAMPLE ONE:



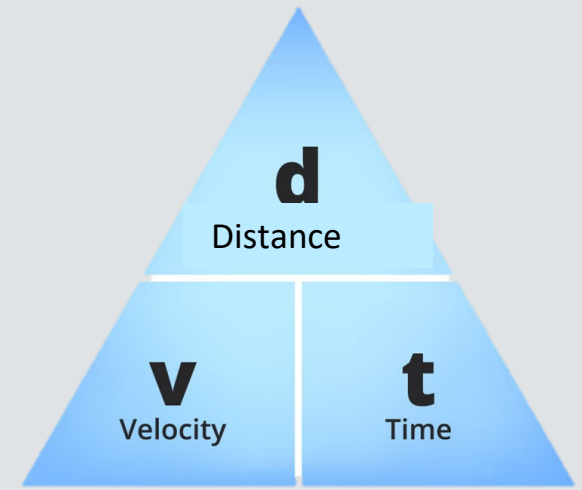
_____ is 10m from _____. If _____ travels that distance in 30 seconds, how fast is it moving? (0.33 m/s)

VELOCITY EXAMPLE TWO:



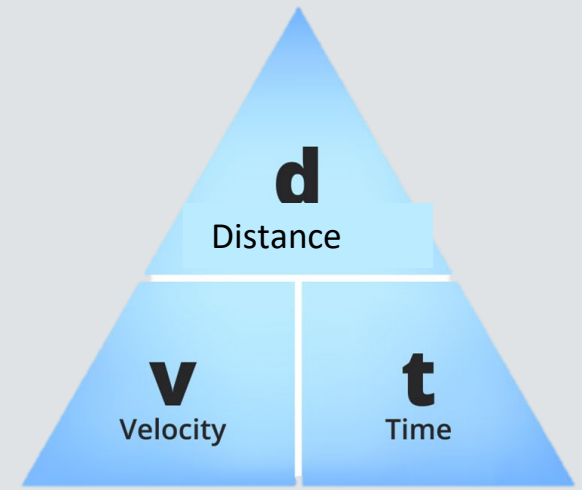
_____ is two meters from _____. It takes _____ 0.5s to travel that distance. What is its velocity? (4 m/s)

VELOCITY EXAMPLE THREE:



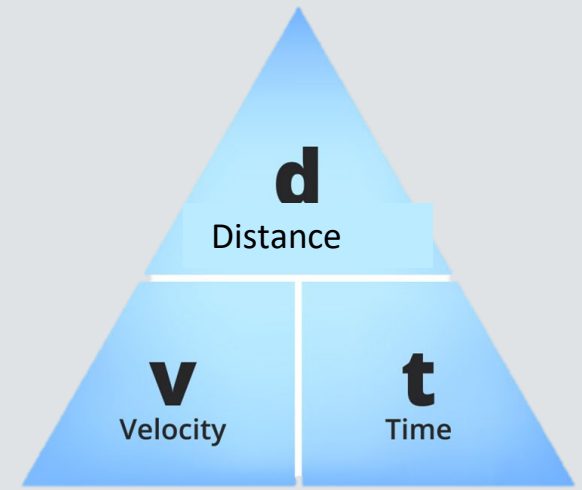
To get to _____ you drive 25km in half an hour. How fast did you drive? (50 km/h)

VELOCITY EXAMPLE FOUR:



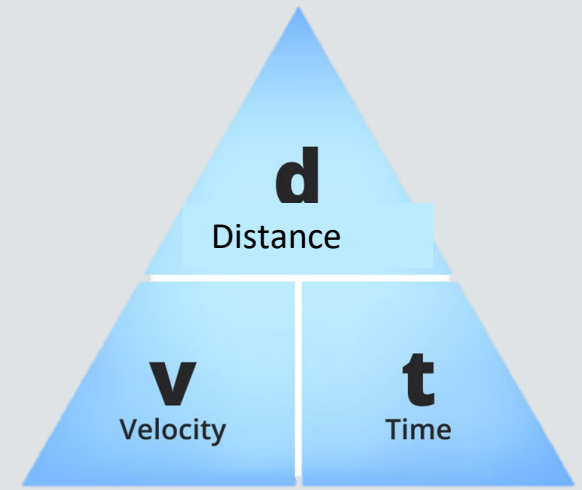
You got in your car to escape _____ . you drive 20km in 15 minutes. How fast did you drive? (80 km/h)

DISTANCE EXAMPLE ONE:



What distance will you travel in _____ seconds at an average speed of _____ meters per second?
Let's roll the dice.

DISTANCE EXAMPLE TWO:

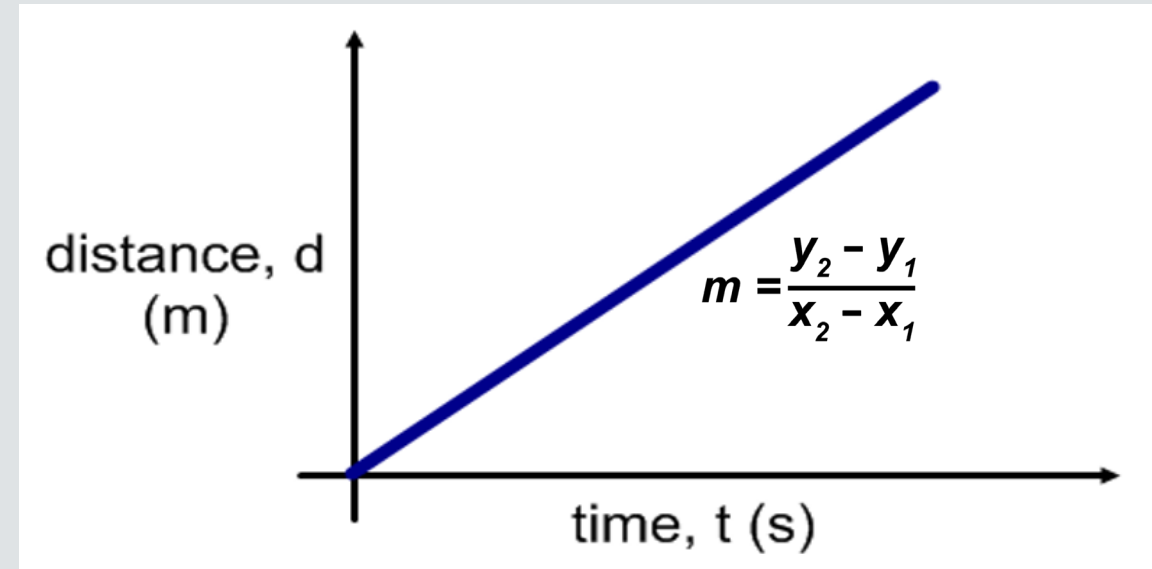


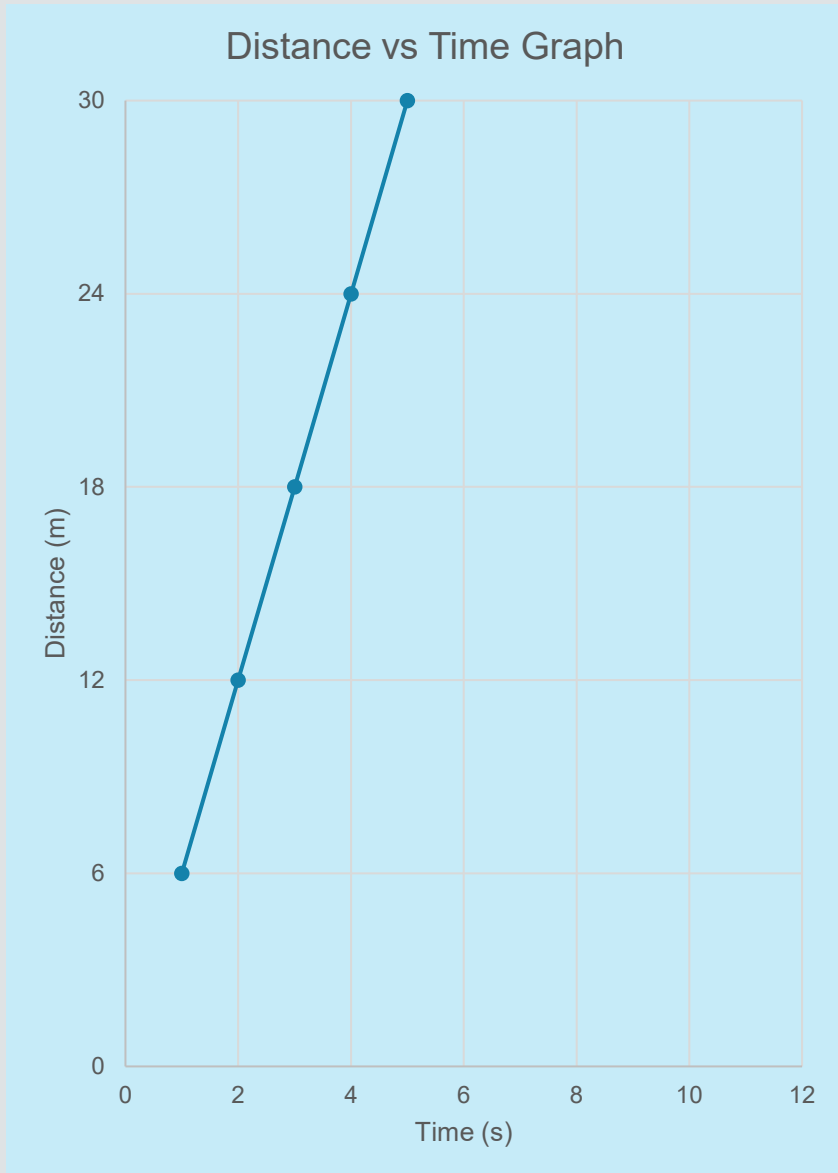
What distance will you travel in _____ hours at an average speed of _____ kilometers per hour?
Let's roll the dice.

GRAPHING

- Properties of the graph
 - Time on the x-axis
 - Distance on the y-axis
 - **Velocity is the slope**
- Slope Formula:

$$v = \frac{d_2 - d_1}{t_2 - t_1}$$

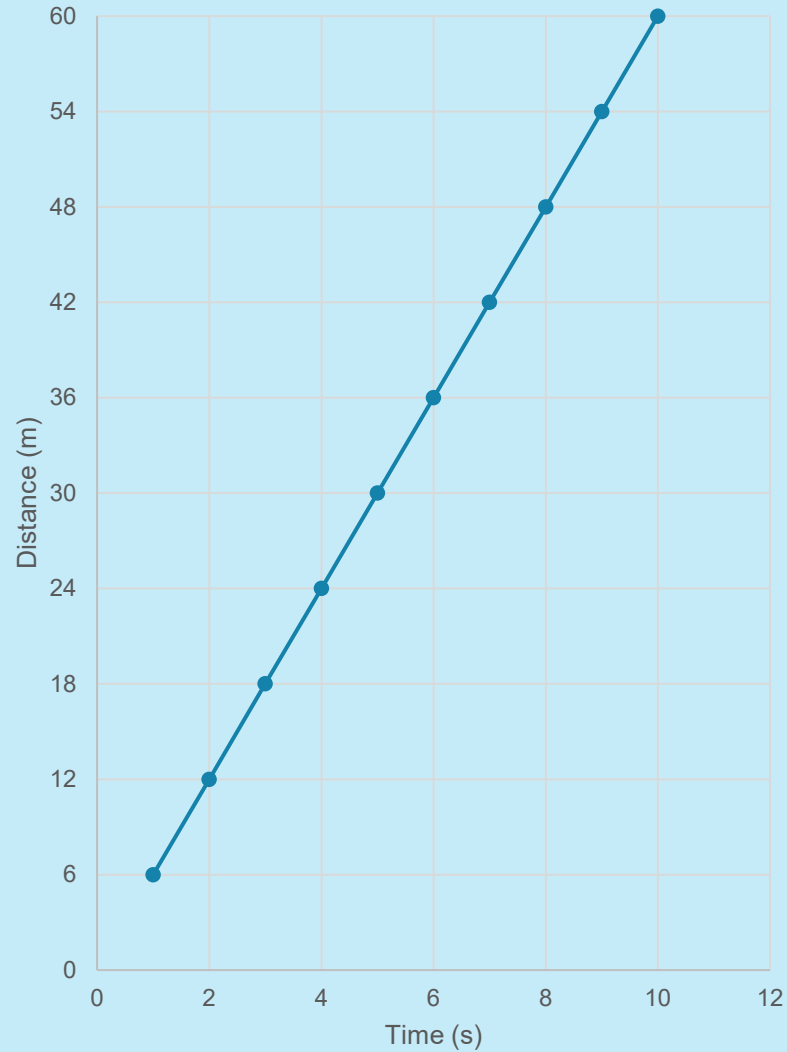




GRAPHING EXAMPLE ONE

Calculate the velocity using the slope of this graph.

Distance vs Time Graph



GRAPHING EXAMPLE TWO

Calculate the velocity using the slope of this graph.

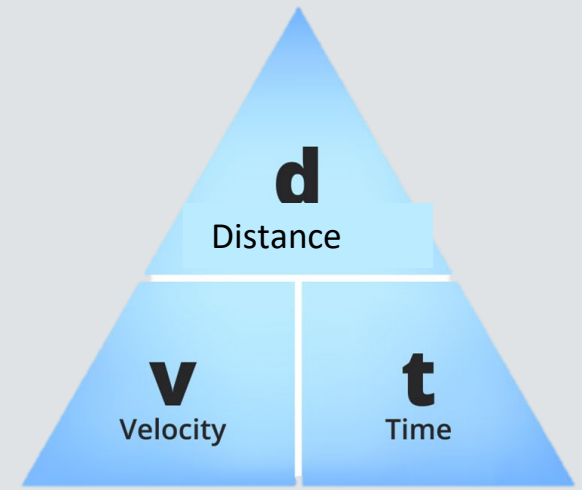
DISTANCE TRAVELLED DURING REACTION TIME

- Recall: Reaction time is the time it takes to recognize something and act on it
- Drivers reaction time does not change at different speeds
- The distance travelled during reaction time does change
- Using this information, why might different roads have different speed limits?

DISTANCE TRAVELLED DURING REACTION TIME

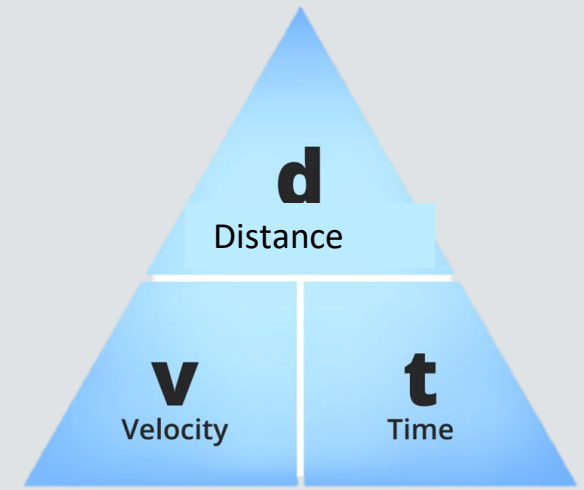
- Reaction distance is how far the car travels before the driver reacts
- Braking distance is how far the car travels after the driver starts braking
- Stopping distance is the total distance the car travels before coming to a stop
 - Stopping Distance = Reaction Distance + Braking Distance

TIME EXAMPLE ONE:



The average driver's reaction time is 2.5 seconds.
How far does a car moving at 60 km/h travel before
the average driver reacts? (42 m)

TIME EXAMPLE TWO:



The braking distance of the average car at 60 km/h is 43 meters. Combined with the reaction distance we just calculated, what is the total stopping distance?
(86 m)

SAFE FOLLOW DISTANCE REVISITED)

- Cars have a very long stopping distance even in ideal conditions (86m at 60km/h)
- Stopping distance gets longer under the following conditions:
 - Slippery road surface (ice, snow, rain)
 - Higher speeds
 - Lower driver reaction time (distraction, impairment)
 - Defective braking systems
- **Make sure you leave enough space**