



LIGHT

Lesson 2

Measuring the Speed of Light

OBJECTIVES

- YOU WILL BE ABLE TO :
 - DESCRIBE QUALITATIVELY SOME EXPERIMENTS MEASURING THE SPEED OF LIGHT
 - QUANTITATIVELY CALCULATE THE SPEED OF LIGHT USING MICHELSON'S APPARATUS.

SPEED OF SOUND

- IT WAS KNOWN THAT THE SPEED OF SOUND WAS ABOUT 330 M/S.
- ONE EXPERIMENT WAS TO PLACE AN OBSERVER ON HILL A AND ANOTHER ON B.
- PERSON AT A FIRES A CANNON AND DROPS FLAG. PERSON AT B STARTS WATER CLOCK. WHEN PERSON AT B HEARS SOUND THE WATER CLOCK IS STOPPED.
- THE TIME THAT IT TOOK SOUND TO GET TO PERSON B COULD BE MEASURED. ($v = d/t$).

Early Attempts to Measure c

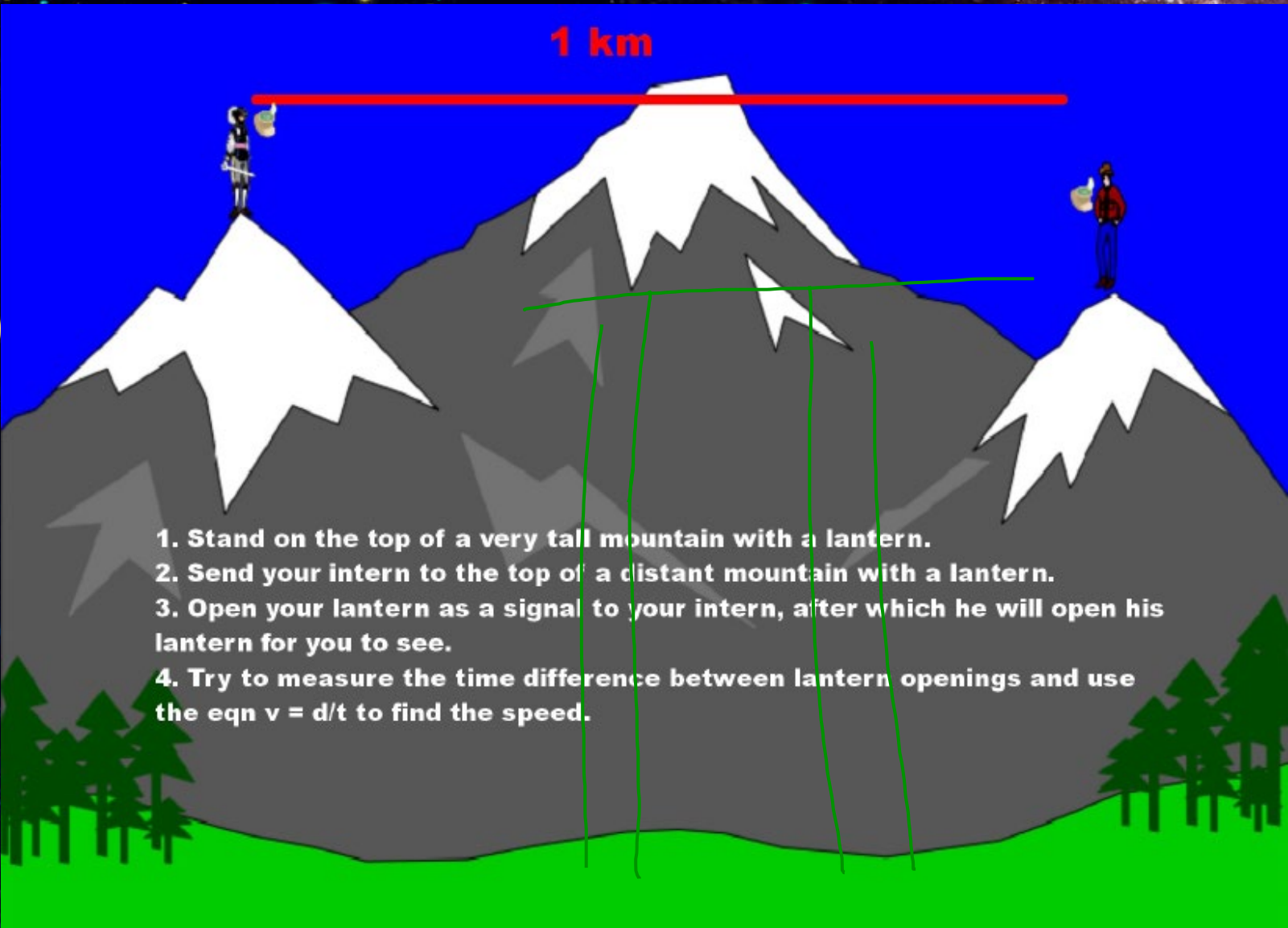


Our old friend G.G. had the first recorded attempt at measuring the speed of light.

His experiment went like this:

SPEED OF LIGHT

1 km

- 
1. Stand on the top of a very tall mountain with a lantern.
 2. Send your intern to the top of a distant mountain with a lantern.
 3. Open your lantern as a signal to your intern, after which he will open his lantern for you to see.
 4. Try to measure the time difference between lantern openings and use the eqn $v = d/t$ to find the speed.

A few problems...

- **the digital stop watch hadn't been invented yet, so all Galileo had to measure time with was his own pulse.**

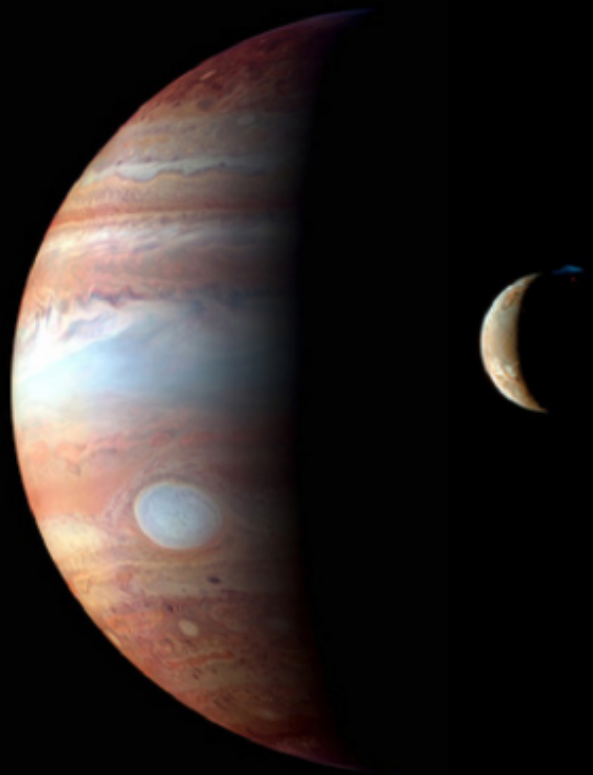
- **light takes about 0.00007 s to travel 2 km.**

Galileo calculated the speed of light to be...



ROEMER AND HUYGENS

- THE DIFFICULTY IN SHOWING THAT LIGHT HAD A FINITE SPEED IS APPARENT FROM THE ABOVE EXAMPLE.
- NOT UNTIL DISTANCES BECOME VERY GREAT IS ONE ABLE TO TRULY SEE THAT IT IS SO.
- OLAUS ROEMER WAS AN ASTRONOMER IN 1676. HE STUDIED THE MOON OF JUPITER CALLED IO AND ITS 42.5 H ORBIT.



A More Successful Attempt:

In the late 1600's, Olaus Romer and Christiaan Huygens used Io, a viable moon of Jupiter, to calculate the speed of light.

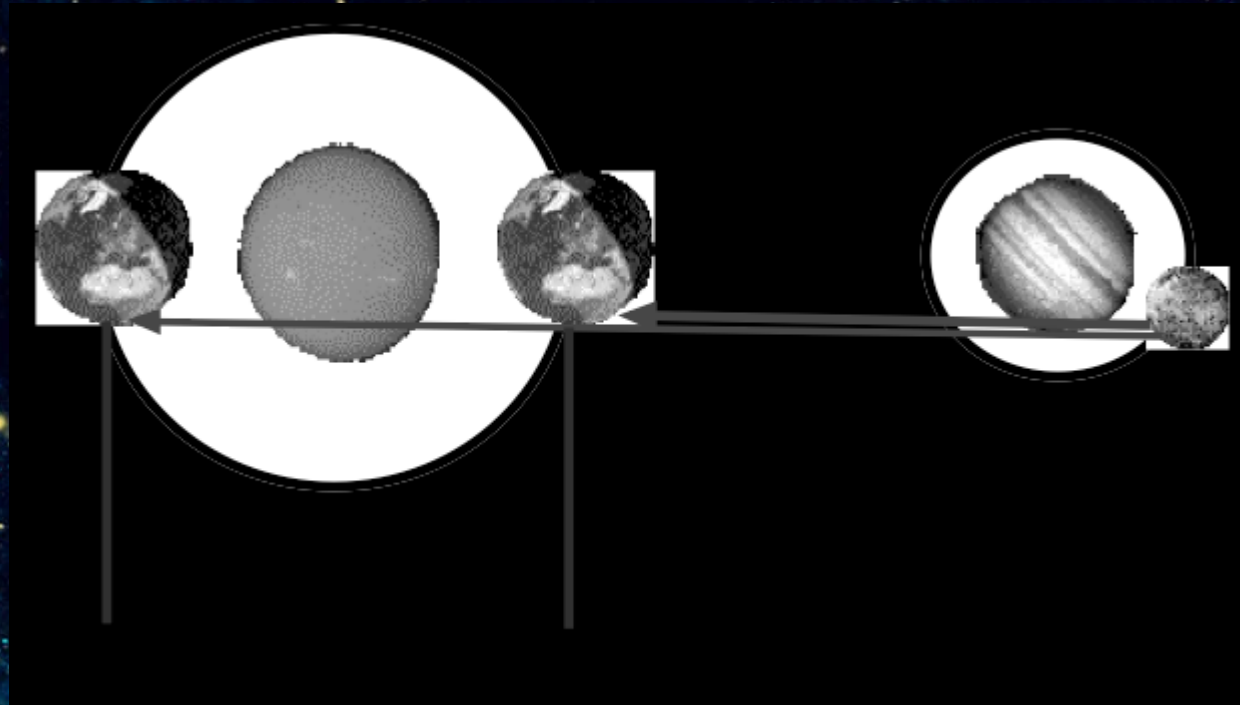
(See pg 648)

ROEMER AND HUYGENS

- HE MADE 70 MEASUREMENTS AND FOUND THAT THE TIME THAT IO WOULD APPEAR FROM BEHIND JUPITER WOULD VARY BY AS MUCH AS 14 s.
- HE EXTRAPOLATED HIS DATA AND CONCLUDED THAT THE MAXIMUM DIFFERENCE IN THE TIME IT TAKES TO TRAVEL TO EARTH WOULD BE 22 MINUTES AND THAT IT WAS DUE TO THE MOVEMENT OF THE EARTH AWAY FROM JUPITER AS IT MOVES AROUND THE SUN.

ROEMER AND HUYGENS

- THIS “LATE” TIME WAS THE TIME IT TOOK LIGHT TO COVER THE EXTRA DISTANCE.

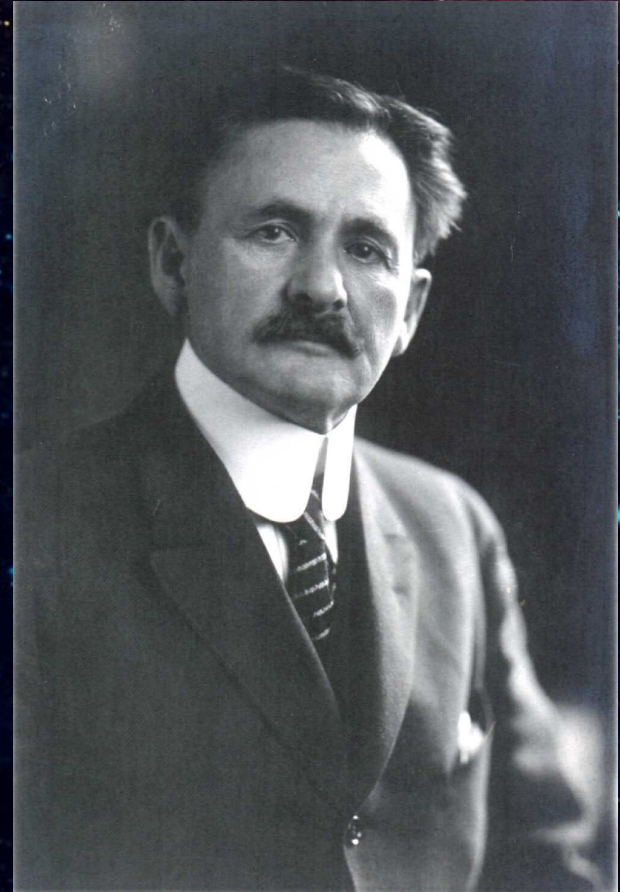


ROEMER AND HUYGENS

- ROEMER COULD NOT CALCULATE THE SPEED OF LIGHT BECAUSE THE DISTANCE FROM THE EARTH TO THE SUN (R_E) WAS NOT KNOWN AT THIS TIME.
- HUYGENS ESTIMATED THE DIAMETER OF THE EARTH'S ORBIT AROUND THE SUN AND USED ROEMER'S DATA TO CALCULATE THE SPEED OF LIGHT. HE OBTAINED A VALUE OF 2.00×10^8 M/S.
- THE ERROR WAS DUE TO THE ERROR IN "LATE TIME" OBSERVED BY ROEMER. THE ACTUAL LATE TIME IS 16 MINS AND NOT THE 22 MINS THAT ROEMER STATED.
- **THE MODERN VALUE FOR THE SPEED OF LIGHT IN AIR IS 3.00×10^8 M/S.

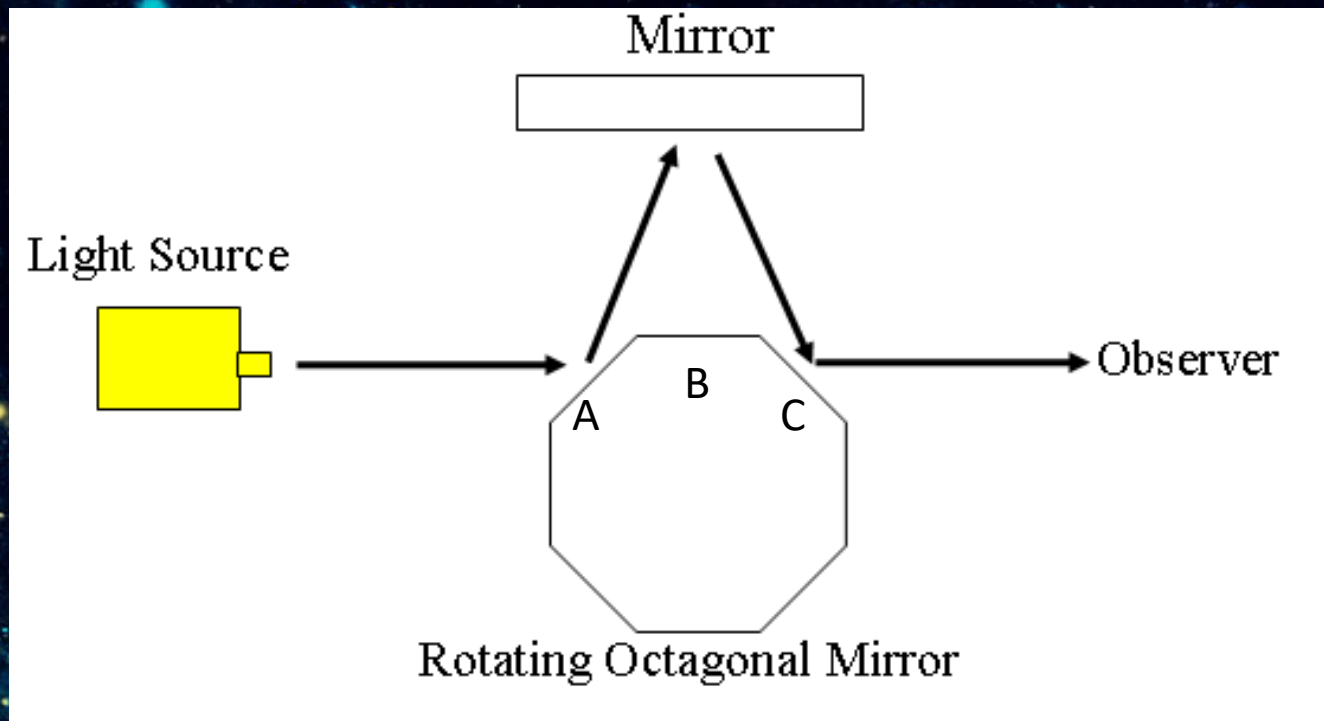
MICHELSON'S WHEEL

- THE MOST ACCURATE MEASUREMENTS WERE PERFORMED BY A.A. MICHELSON IN THE PERIOD BETWEEN 1880 - 1930.
- IN 1926 HE MEASURED THE TIME REQUIRED FOR LIGHT TO TRAVEL THROUGH AN EVACUATED PIPE THAT WAS CONSTRUCTED BETWEEN TWO MOUNTAINS 35 KM APART.



MICHELSON'S WHEEL

- HE USED A HIGH SPEED ROTATING OCTAGONAL MIRROR SET UP AS FOLLOWS.



MICHELSON'S WHEEL

- LINE EVERYTHING UP WHILE THE 8 SIDED MIRROR IS STATIONARY.
- THE IMAGE (LIGHT) WILL RETURN TO THE SAME POSITION ON THE SCREEN IF SIDE B MOVES TO EXACTLY THE SAME POSITION AS SIDE C WAS IN THE TIME THAT IT TAKES THE LIGHT TO GO TO THE PLANE MIRRORS AND BACK. (1/8 OF A REVOLUTION)

EXAMPLE

- THE OCTAGONAL WHEEL TURNS AT 30000 RPM (FREQUENCY) AND AN IMAGE IS SEEN ON THE SCREEN.
 - HOW MANY TIMES DOES THE MIRROR TURN IN 1 s?
 - DETERMINE THE TIME REQUIRED FOR THE MIRROR TO GO TOTALLY AROUND ONCE.
 - CALCULATE THE TIME FOR SIDE B TO GET TO SIDE C.

$$c = \frac{d}{t} = \frac{2 \times d_{\text{between mirrors}}}{(1/RPS) \times (1/\# \text{ of sides})}$$

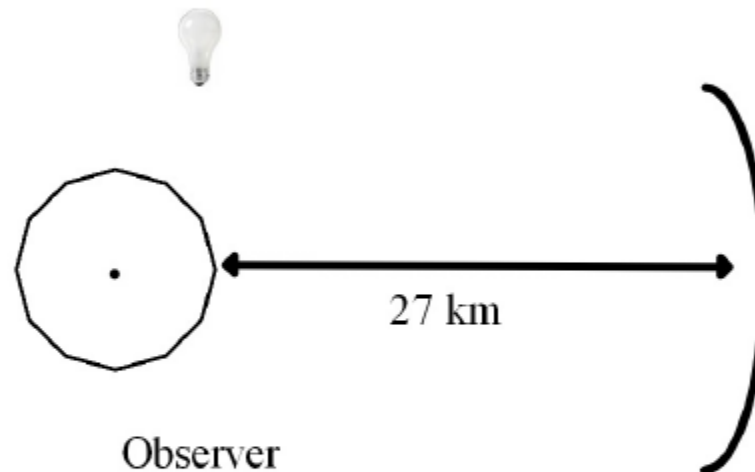
- THIS FORMULA MUST BE MEMORIZED!

EXAMPLE

- USING THE CURRENTLY ACCEPTED VALUE FOR THE SPEED OF LIGHT, CALCULATE HOW FAR APART THE TWO MIRRORS WOULD NEED TO BE PLACED IF THE OCTAGONAL MIRROR IS ABLE TO TURN AT 30 000 RPM.
- HOW FAST WOULD A HEXAGONAL MIRROR NEED TO TURN IF THE STATIONARY MIRROR IS 20.0 KM FROM THE ROTATING MIRROR?

Use the following information to answer the next question:

A 12-sided mirror is used to calculate the speed of light. The 12-sided mirror is 27 km away from the concave mirror, as shown below.



24. If the speed of light from such an apparatus is calculated to be 2.978×10^8 m/s, the smallest possible speed of rotation of the mirror is

- a) 4.6×10^5 rpm
- b) 7.7×10^3 rpm
- c) 9.1×10^5 rpm
- d) 2.8×10^4 rpm

Ans:

