

# **Electric Field Theory**

## **Lesson 4**

# Objectives

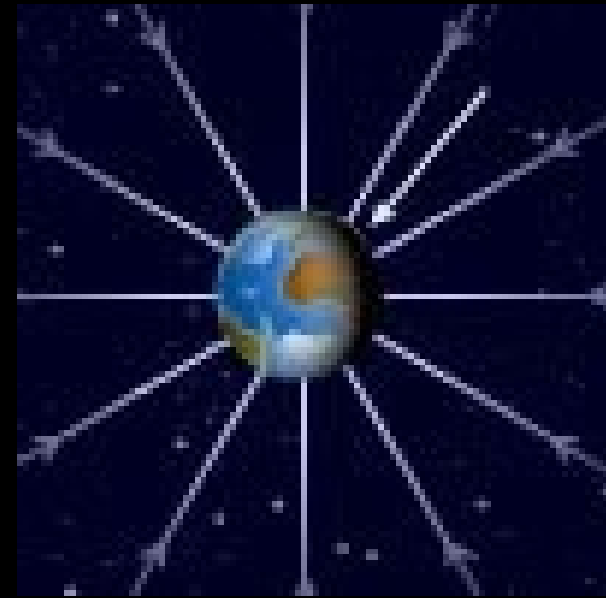
- define vector fields.
- compare forces and fields.
- explain, quantitatively, electric fields in terms of intensity (strength) and direction, relative to the source of the field and to the effect on an electric charge.

*Write the parts in **slimer green***



# Recall: The Gravitational Field

- An imaginary field which exists around all bodies in all directions.
- Shows the direction of the force of gravity.
- Only exists in theory, in practice, it does not really exist (although we can calculate the magnitude).
- Field lines are a vector quantity.



# The Electric Field

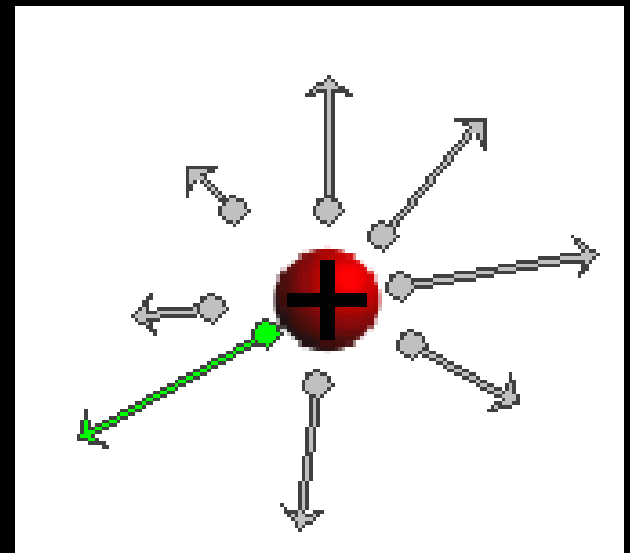
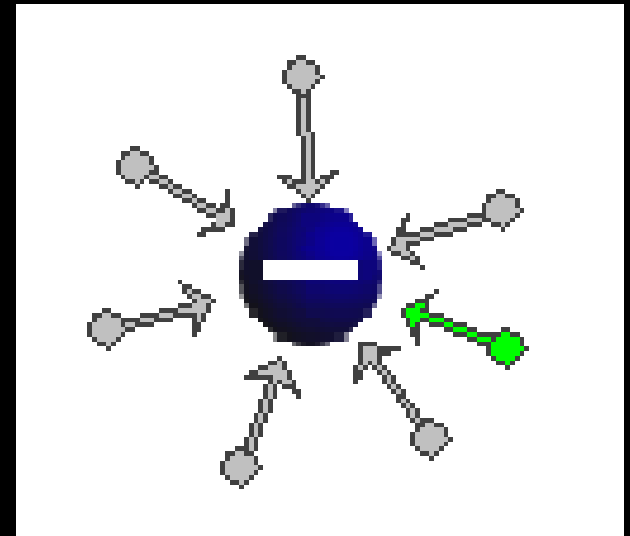
- All electrically charged objects (can be positive or negative) create electric fields.
- The magnitude and direction of fields are represented by field lines. The greater the density of the lines, the greater the field.
- The direction of the electric field is the direction a positive test charge would move when placed in the field.

# Direction of the Electric Field

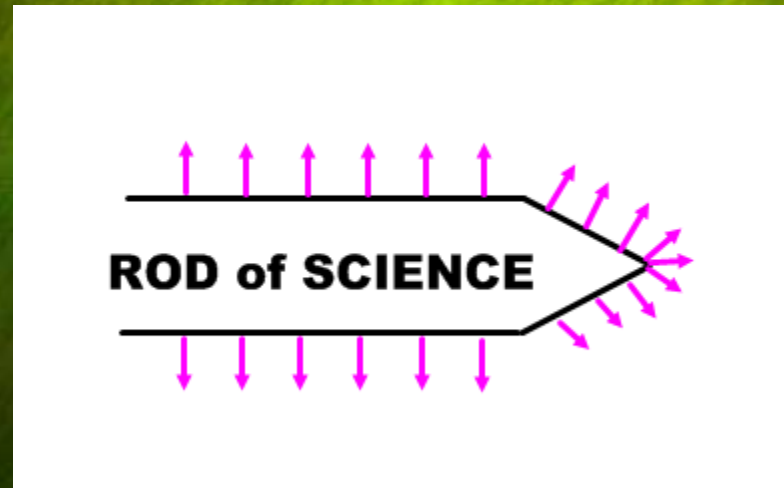
- Field lines move towards negative charges.

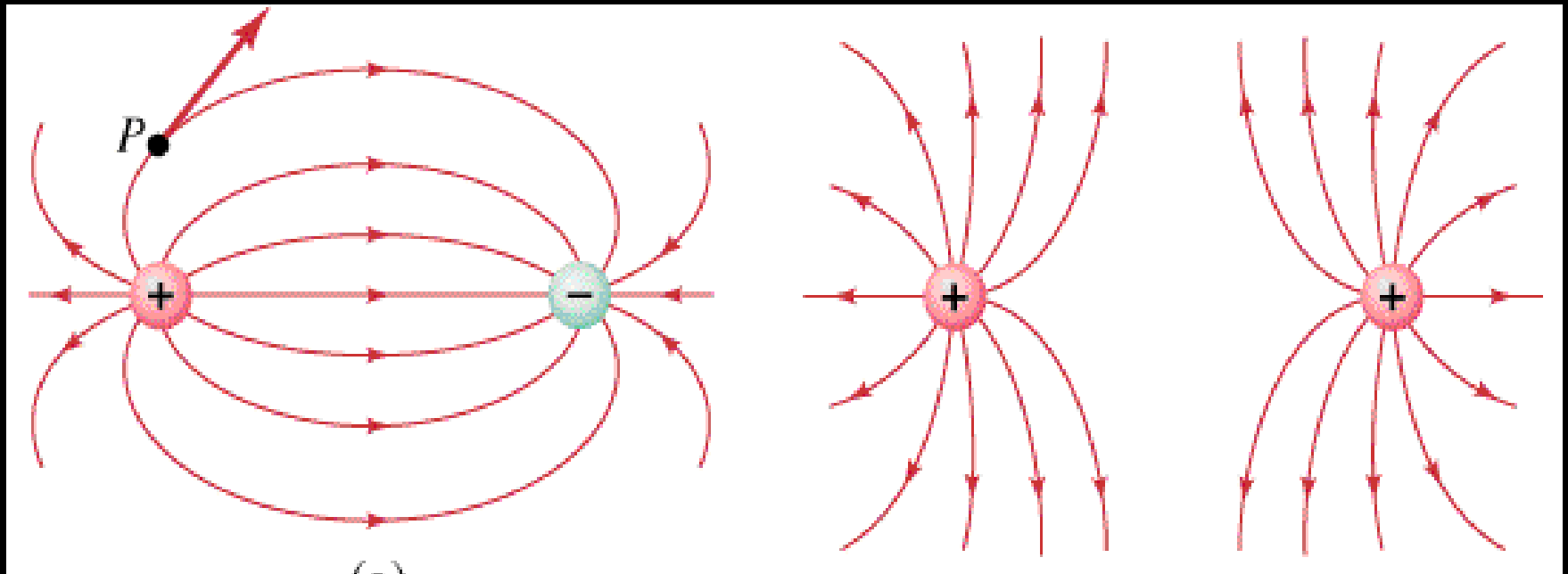
Remember: the field lines move in the same direction as a positive test charge would!

- Field lines move away from positive charges.



- The density (number of lines) indicates the relative magnitude of the field.
- Electric fields are greatest at points or sharp edges.





- Electric Fields Applet
- A Really Cool Electric Fields Applet
- 3-D nature of vectors



# Field Strength

- Fields are vectors, they have magnitude and direction.
- Now that we know how to find the direction of the field, we need a way to find the magnitude.
- We have two formulas to calculate the field strength or field intensity at any point in space.

# 1<sup>st</sup> E-field Formula

$$|\vec{E}| = \frac{\vec{F}_e}{q}$$

Where:

$E$  = absolute value of electric field strength

$F_e$  = electric force acting on the test charge

$q$  = magnitude of test charge

This is the definition of the electric field strength:  
the amount of electric force per unit of charge  
acting on a body.

# Look familiar?

- This equation looks pretty similar to the equation for finding the gravitational field at any point...

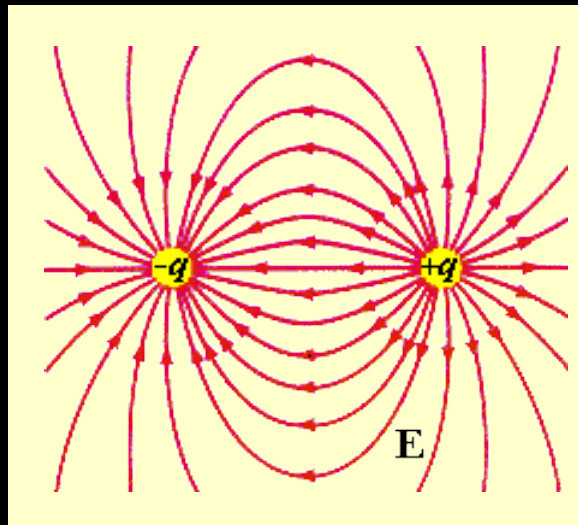
$$\vec{E} = \frac{\vec{F}_e}{q}$$

$$\vec{g} = \frac{\vec{F}_g}{m}$$

All of physics is related in one way to another!  
Another example of the appeal of GUTs!

# Unit of Electric Fields

- The unit of the electric field is newtons per coulomb (N/C), another reminder of the first-principles definition of the term: the amount of electric force (N) per unit of charge (C).



# Inverse Square Law

- Notice from the applet that the magnitude of the E field is stronger when closer to the charge, weaker when farther away.
- Electric fields obey the inverse square law.
- We can manipulate the general equation for the electric force to gain a second equation for determining electric field.

# Second Electric Field Equation

Take  $\vec{F}_e = \frac{kq_1q_2}{r^2}$  and divide by  $q$  on both sides.

$$|\vec{E}| = \frac{kq}{r^2} \quad \text{where: } \vec{E} = \text{magnitude of the electric field.}$$

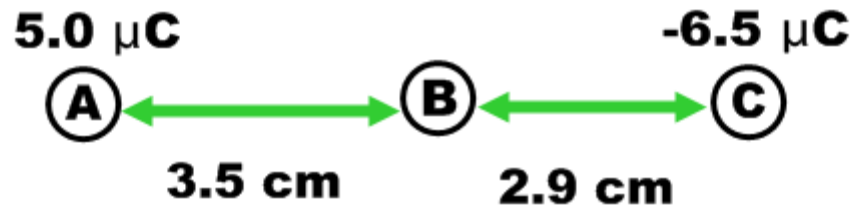
$k$  = coulomb's constant

$q$  = magnitude of the charge on the charge producing object.

# Examples

- A positive test charge ( $q = 4.0 \mu\text{C}$ ) is placed in an electric field. The force on the charge is  $0.60 \text{ N}$  left. What is the magnitude and direction of the E-field at the location of the test charge?

- Find the electric field at point B.





- What is the electric field at a point halfway in between a charge of  $-3.50 \mu\text{C}$  and a charge of  $3.00 \mu\text{C}$  if the charges are 44 cm apart?